

Loss minimization and voltage profile improvement using Autonomous Group Particle Swarm Optimization in a distributed power system

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ABSTRACT—Growing concerns over environmental impacts, conditions for improvement of the whole distribution network, and rebate programs offered by governments have contributed to an increment in the number of DG units in commercial and domestic electrical power output. It is known that the non optimal size and non optimal placement of DG units may lead to high power losses, bad voltage profiles. Therefore, this paper introduces a sensitivity analysis to determine the optimal sitting and sizing of DG units. A new methodology AGPSO is used to reduce the active power losses and also to improve the voltage profile. The effectiveness of the proposed method is demonstrated through IEEE 33 bus standard test systems. The simulation results show that AGPSO can obtain the maximum power loss reductions.

Index Terms—Power Flow (CPF), Loss Sensitivity Analysis (LSA), Autonomous Groups Particles Swarm Optimization (AGPSO).

I. INTRODUCTION

DISTRIBUTED generation (DG) is going to play a major role in power systems worldwide. The importance of DGs in future smart grids increases considering the fact that DGs will have a role in system security, reliability, efficiency, and quality as well. Active management of distribution networks as a lower level system may act similar to a catalyzer, speeding up the formation of smart grids. As a key function in active management, DGs must be able to face the contingency conditions, while playing a remedial role in the system security. But current standards

and practical experiences force DGs to be disconnected in the case of contingency. Also, DG units “shall not actively regulate the voltage at the point of common coupling”. This policy is hard to implement at this growth rate of DGs in the power systems, as a disruption of a large amount of DGs for a small-scale contingency will result in a bigger one. DGs capability can be used to clear voltage stability problems, as a cause of the most recent blackouts. Considering that most DGs are located at the distribution level, determination of the best locations for installing DGs to maximize their benefits is very important in system design and expansion. A DG placement problem is solved by using voltage stability techniques (i.e., continuous power flow, while the objective is to maximize the voltage and simultaneously minimize the losses.

Particle Swarm Optimization (PSO) is one of the most widely used evolutionary algorithms inspired by the social behavior of animals. The simplicity and inexpensive computational cost make this algorithm very popular. Due to these advantages, PSO has been applied to many domains such as medical detection, grid scheduling, robot path planning, video abstraction, optical buffer design, and Neural Networks. In spite of these advantages, trapping in local minima and slow convergence rate are two unavoidable problems. These two problems deteriorate with increased problem dimensionality.

There are many methods in the literature to combat these problems. Some of them focus on the hybridization of PSO with other algorithms such as PSO-Genetic Algorithm (GA), PSO-Gravitational Search Algorithm (GSA), and PSO-Ant Colony Optimization (ACO). Regardless of their promising results, increased computational cost is the main

problem of these methods. Using dynamic parameter tuning is a method that increases the performance of PSO without suffering from high computational cost. The main parameters of PSO are the weighting factor (w), cognitive coefficient ($c1$) and social coefficient ($c2$). The similarity of these approaches is that the parameters are tuned with the same strategy for all particles. Therefore, all the particles follow the same pattern in their social and individual behaviors. In other words, the particles are obliged to search without any self-determination and intelligence.

In this paper, we propose a new approach of utilizing autonomous groups to give particles a sort of independence with the purpose of increasing performance. Autonomous Group of PSO has more advantages than PSO algorithm. By using AGPSO algorithm the losses are reduced more and voltage is maximized.

II VOLTAGE-STABILITY PROBLEM IN DISTRIBUTION NETWORKS

A. Problem Identification

Voltage collapse usually occurs in heavily loaded systems that do not have sufficient local reactive power sources and consequently cannot provide secure voltage profile for the system. This reactive power shortage may lead to wide-area blackouts and voltage-stability problems as has occurred in many countries. The shortage can be alleviated by an increased share of DGs in low-voltage (LV) distribution systems to improve voltage stability. These days, most DG technologies, such as synchronous machines, power-electronic interface devices (e.g., photovoltaic cells and micro turbines), and even new induction generators [e.g., doubly fed induction generators (DFIGs)], are capable of providing a fast, dynamic reactive power response. This capability can be used by the system operators to enhance system security and stability. Since a generator location affects the system voltage stability, it is important to identify the most effective buses to install a DG.

B. Continuous Power-Flow Methodology

The determination of maximum loading is one of the most important problems in voltage-stability analysis that cannot be calculated directly by modal analysis. Considering a loading scenario, a continuous power flow uses a successive solution to compute the voltage profile up to a collapse point (i.e., where the Jacobian matrix becomes singular, to determine the voltage security margin (VSM). The VSM is known as the distance from an

operating point to a voltage collapse point. In the successive procedure, the power at the loads increases continuously by a scaling factor δ as

$$P_L = \delta P_{L0} \quad (1)$$

$$Q_L = \delta Q_{L0} \quad (2)$$

Where P_{L0} and Q_{L0} are the base-case load active and reactive powers. The generated power at each generator can be freely scaled by a scaling factor or may be limited by its boundary conditions.

III POWER FLOW SOLUTION

The Jacobian matrix of power flow equations becomes singular at the voltage stability limit. Continuous power flow overcomes this problem. Continuous power flow finds successive load flow solutions according to a load scenario. It mainly consists of two steps.

- They are: 1. prediction step
2. Correction step

From a known base solution, a tangent predictor is used so as to estimate next solution for a specified pattern of load increase. The corrector step then determines the exact solution using Newton-Raphson technique employed by a conventional power flow. After that a new prediction is made for a specified increase in load based upon the new tangent vector. Then corrector step is applied. This process goes until critical point is reached. The critical point is the point where the tangent vector is zero. The illustration of predictor-corrector scheme is depicted in Figure 1.

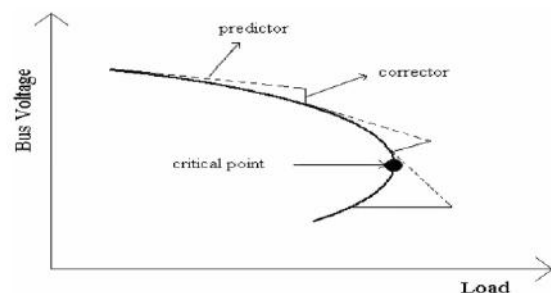


Fig 1: Illustration of prediction-correction step

Selection of continuation parameter is important in continuous power flow. Continuation parameter is the state variable with the greatest rate of change. Initially, is selected as continuation parameter since at first steps there

are small changes in bus voltages and angles due to light load. When the load increases after a few steps the solution approaches the critical point and the rate of change of bus voltages and angles increase. Therefore, selection of continuation parameter is checked after each corrector step. The variable with the largest change is chosen as continuation parameter. If the parameter is increasing +1 is used, if it is decreasing -1 is used.

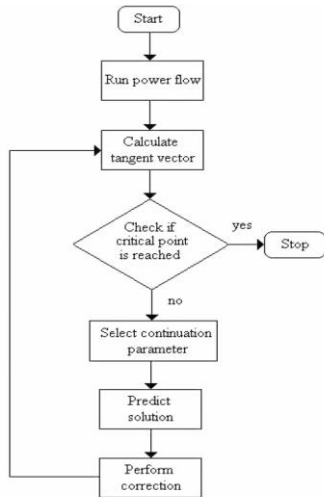
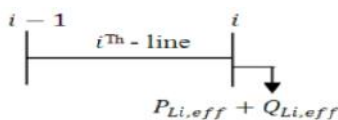


Fig 2: Flow chart for continuous power flow

The continuous power flow is stopped when critical point is reached as it is seen in the flow chart. Critical point is the point where the loading has maximum value. After this point it starts to decrease. The tangent component of λ is zero at the critical point and negative beyond this point. Therefore, the sign of $d\lambda$ shows whether the critical point is reached or not.

IV SENSITIVITY ANALYSIS FOR OPTIMAL DG PLACEMENT

Sensitivity analysis is used to compute the sensitivity factors of candidate bus locations to install DG units in the test systems. Let us consider a line section consisting an impedance of $R_i + jX_i$, and a load of $P_{Li,eff} + jQ_{Li,eff}$ connected between $i-1$ and i buses as given below.



Active power loss in the i th branch between the lines $i-1$ and i is given by

$$P_{line\ loss} = R_i \cdot \frac{(P_{Li,eff}^2 + Q_{Li,eff}^2)}{V_i^2} \quad (3)$$

Thus the Loss sensitivity factor is given as:

$$LSF = \frac{\partial P_{line\ loss}}{\partial P_{Li,eff}} = \frac{2 * P_{Li,eff} * R_i}{V_i^2} \quad (4)$$

Thus from the above equation Loss Sensitivity Factors can be calculated and arranged in the descending order for finding the optimal locations to place DG units.

V OVERVIEW OF THE PSO ALGORITHM

PSO is an evolutionary computation technique that was proposed by Kennedy and Eberhart. It was inspired from the social behavior of bird flocking which uses a number of individuals (particles) flying around the search space to find the best solution. The particles trace the best location (best solution) in their paths over the course of iterations. In other words, particles are influenced by their own best locations found as well as the best solution obtained by the swarm. These concepts have been mathematically modeled using a position vector (x) and velocity vector (v) of length D , where D indicates the dimension (number of variables) of the problem. In the course of iterations, a particle adjusts its position and velocity as follows

$$V_i^{t+1} = W V_i^t + C_1 \times rand \times (pbest_i - x_i^t) + C_2 \times rand \times (gbest - x_i^t) \quad (5)$$

$$x_i^{t+1} = x_i^t + v_i^{t+1} \quad (6)$$

where w is the inertial weight which is responsible for controlling the PSO algorithm's stability and usually is in $[0.4, 0.9]$, c_1 is the cognitive coefficient that controls the influence of the individual memory of good solutions found, conventionally selected in $(0, 2]$, c_2 is the social factor also conventionally chosen from the range $(0, 2]$ which controls the extent to which a particle's motion is influenced by the best solution found by the whole swarm, $rand$ is a random number between 0 and 1 which tries to give PSO more randomized search ability, and $pbest$ and $gbest$ are two variables to store the best solutions obtained so far by each particle and the whole swarm respectively. As can be observed, there are three main coefficients, w , c_1 , and c_2 . Dynamic tuning of these parameters is a way to give particles different behaviors as the algorithm proceeds. In this work c_1 and c_2 are targeted to increase the performance of PSO.

VI MOTIVATION OF PROPOSED METHOD

Finding the global minimum is a common, challenging task among all minimization methods. In population-based optimization methods, generally the desirable way to converge towards the global minimum can be divided into two basic phases. In the early stages of the optimization, the individuals should be encouraged to scatter throughout the entire search space. In other words, they should try to explore the whole search space instead of clustering around local minima. In the latter stages, the individuals have to exploit information gathered to converge on the global minimum. In PSO, with fine-adjusting of the parameters c_1 and c_2 , we can balance these two phases in order to find global minimum with fast convergence speed. Considering these points, we propose the autonomous groups concept as a modification of the conventional PSO. In this method, each group of particles autonomously tries to search the problem space with its own strategy, based on tuning c_1 and c_2 . The groups strategies can contain constant, linear time-varying, exponential, or logarithmic time-varying values for c_1 and c_2 .

AUTONOMOUS GROUPS AND AGPSO ALGORITHM

The concept of autonomous groups is inspired by the individuals' diversity in animals flocking or insects swarming. In any gathering, individuals are not quite similar in terms of intelligence and ability, but they all do their duties as a member of the group. Each individual's ability can be useful in a particular situation.

In a termite colony, for instance, there are four types of termites such as soldier, worker, babysitter, and queen. They all have diverse abilities, but these differences are necessary for survival of their colony. Soldiers have greater bulk with giant jaws in order to fight with enemies. Workers are smaller than soldiers, so they can move around very fast to find and provide food for the colony. They also have the ability of excavating to build the nest. The queen and babysitters reproduce and raise children. These four types of termite can be considered as four autonomous groups which have a common goal of promoting the colony's survival.

In conventional PSO, all particles behave the same in terms of local and global search, so particles can be considered as a group with one strategy. However, using diverse autonomous groups with a common goal in any population-based optimization algorithm theoretically could result in more randomized and directed search simultaneously.

In other words, the groups behave differently in terms of the extent to which they follow individual and social leads. Updating strategies of autonomous groups could be implemented with any continuous function whose range is in the interval $[0, L]$. These functions consist of ascending or descending linear and polynomial, as well as exponential and logarithmic functions. As we observed c_1 is decreased over the iteration, whereas c_2 is increased. It is clear that particles tend to have higher local search ability when c_1 is greater than c_2 . In contrast, particles search the search space more globally when c_2 is greater than c_1 . Finding a good balance between c_1 and c_2 and considering them as dynamic coefficients is investigated in this study.

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Create and initialize a  $D$ -dimensional PSO
Divide particles randomly into autonomous groups
Repeat
  Calculate particles' fitness,  $G_{best}$ , and  $P_{best}$ 
  For each particle:
    Extract the particle's group
    Use its group strategy to update  $c_1$  and  $c_2$ 
    Use  $c_1$  and  $c_2$  to update velocities (1)
    Use new velocities to define new positions (2)
  End for
Until stopping condition is satisfied

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Fig3. Pseudo-code for the proposed modification of PSO algorithm (AGPSO)

To see how autonomous groups are effective in AGPSO some points may be noted:

- Autonomous groups have different strategies to update c_1 , so particles could explore the search space locally with different capability than the conventional PSO.
- Autonomous groups have different strategies to update c_2 , so particles could follow social behavior more autonomously than the conventional PSO.

VII SIMULATION RESULTS

In this paper, a new modification of PSO called AGPSO is proposed utilizing the concept of autonomous groups inspired by the diversity of individuals in natural colonies. The results show that AGPSO has merit compared to other algorithms in terms of convergence speed, particularly for problems of higher dimensionality. The results also showed that dividing particles in groups and allowing them to have different individual and social behavior can improve the performance of PSO significantly without any extra computational burden.

For future studies, it would be interesting to apply AGPSO in optimization problems to evaluate the efficiencies of AGPSO in solving real world problems. Increasing the number of autonomous groups is also worthy

of investigation. Moreover, employing different types of function with greater variety of slopes, curvatures, and interception points is recommended for future study

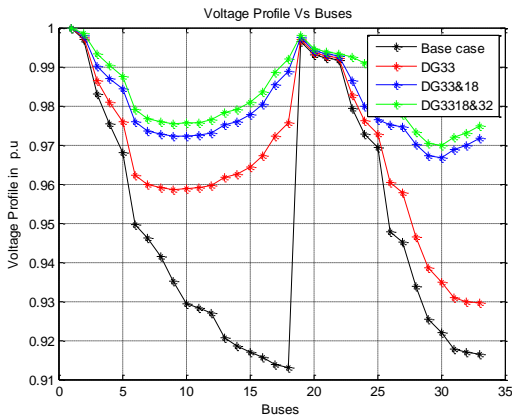


Fig4: Voltage profile for different placement scenarios

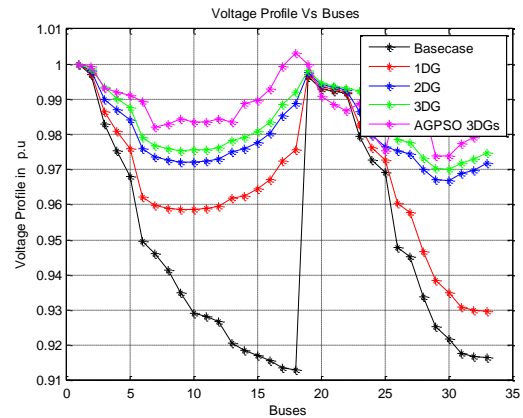


Fig7: Voltage profile for different placement scenarios with AGPSO

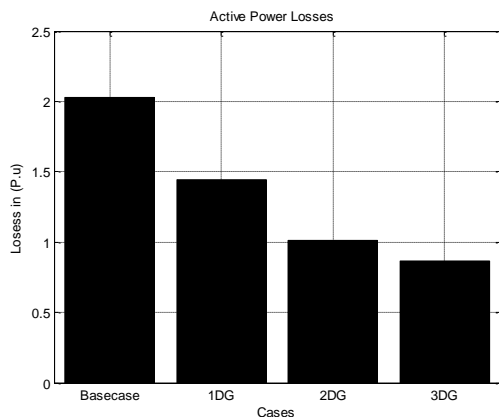


Fig5: Active power losses vs Number of buses

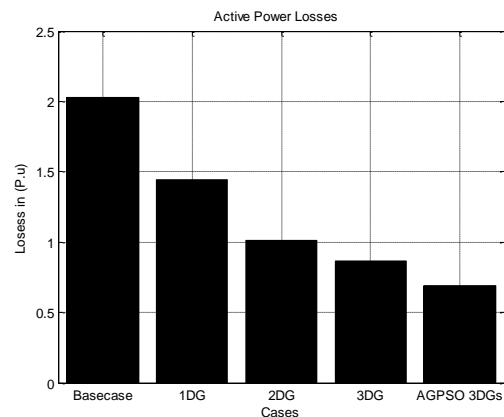


Fig8: Active power losses vs Number of buses with AGPSO

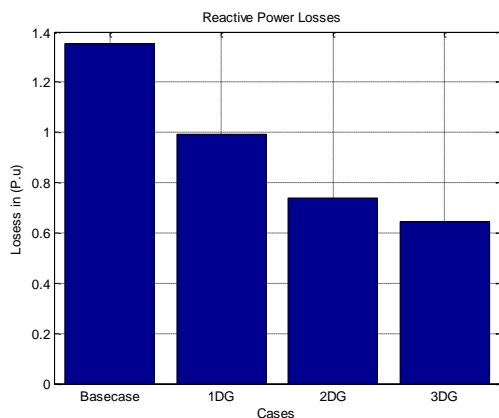


Fig6: Reactive Power Losses vs Number of buses

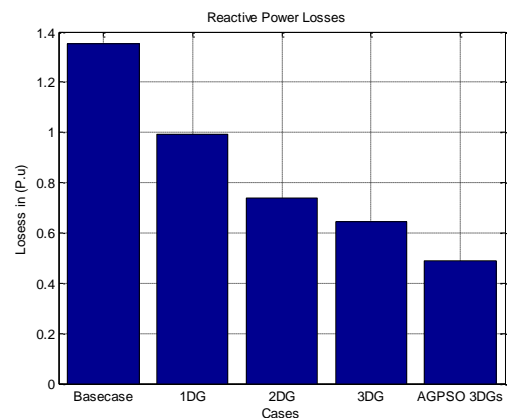


Fig9: Reactive Power Losses vs Number of buses With AGPSO

8.CONCLUSION

	Base Case	Single DG	Single DG with AGPSO	Two DG	Two DG with AGPSO	Three DG	Three DG with AGPSO
inVoltage(p.u)	0.9131	0.9297	0.9548	0.9668	0.973	0.9700	0.975
Active Power Loss(kw)	202.65	144.23	102.10	101.11	71.70	86.28	69.8
reactive Power Loss(kvar)	135.13	99.45	69.31	73.77	48.56	64.46	32.94

Table1: Summary of results

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